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Compression Behaviour of Natural and Reconstituted Clays

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**ABSTRACT**  
The intercept of the \(\log(1+e) - \log\sigma'_v\) straight line is introduced to describe the effect of the starting point on the compressibility of natural and reconstituted clays. It is found that when the effective stress exceeds the remoulded yield stress, the compression behaviour of reconstituted clays is controlled solely by the water content at the remoulded yield stress and the liquid limit. Comparison of the compression behaviour of natural and reconstituted clays indicates that their difference in compressibility is caused by soil structure and the difference in water content at the compression starting point. The compression behaviour of natural clays can be classified into three regimes: 1) the pre-yield regime characterised by small compressibility with soil structure restraining the deformation up to the consolidation yield stress; 2) the transitional regime characterised by a gradual loss of soil structure when the effective stress is between the consolidation yield stress and the transitional stress; and 3) the post-transitional regime characterised by the same change law in compression behaviour as reconstituted clays when the effective stress is higher than the transitional stress. For the investigated clays, the transitional stress is 1.0-3.5 times the consolidation yield stress. The compression index varies solely with the void ratio at an effective stress of 1.0 kPa for both natural clays in post-transitional regime and reconstituted clays when the effective stress exceeds the remoulded yield stress, and when compressed in such cases the compression curves of both natural clays and reconstituted clays can be normalised well to a unique line using the void index.

**KEYWORDS**: clays; compressibility; soil structure; laboratory tests
**NOTATION**

- $\sigma_1' = \text{transitional stress}$
- $\sigma_{yr}' = \text{remoulded yield stress}$
- $\sigma_V' = \text{effective vertical stress}$
- $\sigma_{vy}' = \text{consolidation yield stress}$
- $C_c = (e_{100} - e_{1000})$
- $C_c^* = (e^{*}_{100} - e^{*}_{1000})$
- $C_{CL} = \text{compression index of natural clays in log}(1+e) - \log(\sigma_v')$ plot
- $C_{CLR} = \text{compression index of reconstituted clays in log}(1+e) - \log(\sigma_v')$ plot
- $e = \text{void ratio}$
- $e_1 = \text{void ratio at } \sigma_V' = 1 \text{ kPa}$
- $e_{100} = \text{void ratio of natural clays at } \sigma_V' = 100 \text{ kPa}$
- $e_{1000} = \text{void ratio of natural clays at } \sigma_V' = 1000 \text{ kPa}$
- $e^{*}_{100} = \text{void ratio of reconstituted clays at } \sigma_V' = 100 \text{ kPa}$
- $e^{*}_{1000} = \text{void ratio of reconstituted clays at } \sigma_V' = 1000 \text{ kPa}$
- $e_L = \text{void ratio at liquid limit}$
- $e_{yr} = \text{void ratio at remoulded yield stress}$
- $e_v = \text{void ratio at consolidation yield stress}$
- $EICL = \text{extended intrinsic compression line}$
- $ICL = \text{intrinsic compression line}$
- $I_v = \text{void index, equal to } (e - e^{*}_{100}) / (e^{*}_{100} - e^{*}_{1000})$
- $I_{vn} = \text{void index for natural clays, equal to } (e - e_{100}) / (e_{100} - e_{1000})$
- $\text{pre-yield regime = effective vertical stress lower than consolidation yield stress}$
- $\text{post-transitional regime = effective vertical stress higher than transitional stress}$
- $\text{post-yield regime = effective vertical stress higher than consolidation yield stress}$
- $r = \text{coefficient of correlation}$
- $\text{transitional regime = effective stress higher than consolidation yield stress but lower}$
- $\text{than transitional stress}$
- $w_L = \text{liquid limit}$
- $w_n = \text{natural water content}$
- $w_{yr} = \text{water content at remoulded yield stress}$
INTRODUCTION
Natural clays generally have a compression curve (in terms of void ratio $e$ versus effective vertical stress $\sigma_v'$ in the semi-logarithmic plane) lying above that of reconstituted clays owing to the effect of soil structure (e.g. Leroueil et al., 1979; Leroueil et al., 1985; Locat & Lefebvre, 1986; Leroueil & Vaughan, 1990; Schmertmann, 1991; Cotecchia & Chandler, 1997; Hong & Tsuchida 1999). It is common practice to refer to reconstituted clays when assessing the effect of soil structure on the mechanical behaviour of natural sedimentary clays (e.g. Skempton & Northey, 1953; Houston & Mitchell, 1969; Nagaraj & Srinivasa Murthy, 1986; Hight et al., 1987; Burland, 1990; Liu & Carter, 1999; Hong & Tsuchida, 1999; Chandler, 2000; Cotecchia & Chandler, 2000; Liu & Carter, 2000). It has been recognised that the soil structure restrains the deformation of natural clays under effective vertical stress up to the consolidation yield stress, consequently resulting in the low compressibility of clays until the stress level exceeds the consolidation yield stress (e.g. Butterfield, 1979; Holtz et al., 1986; Burland, 1990). The difference of void ratio between natural clays and reconstituted clays at the same stress level often increases with increasing consolidation stress up to the consolidation yield stress, but decreases when the applied stress level is larger than the consolidation yield stress (e.g. Liu & Carter, 1999; Hong & Tsuchida, 1999; Liu & Carter, 2000). Leroueil et al. (1985) classified the compressive behaviour of natural clays into two states: the intact state as it occurs in natural deposits; and the destructured state referring to the breakdown of the original clay structure when submitted to volumetric or shear deformations. The former is related to elastic deformation whereas the latter is related to elasto-plastic deformation.

The main parameters affecting the compressibility of natural clays in the destructured state are not well understood. It should be noted that the void ratio or the water content at the consolidation yield stress for natural clays is different from that of reconstituted clays. Hence, the difference in compressive behaviour between destructured natural clays and the reconstituted clays cannot be directly attributed to soil structure without considering the effect of the starting state on compressibility. As a result, the following questions arise: 1) what is the fundamental mechanism responsible for the compressive behaviour of natural clays at the destructured state defined by Leroueil et al. (1985), i.e., when the stress level is greater than the consolidation yield stress? 2) how does the soil structure of natural clays degrade with increasing stress when the stress level reaches and exceeds the consolidation yield stress? 3) what is the fundamental mechanism which causes the difference in compressibility between natural clays and reconstituted clays?

With these questions in mind, changes in compressibility are first discussed in this paper based on oedometer test data for reconstituted clays having different initial water contents and different liquid limits, in an attempt to clarify the fundamental mechanism responsible for the compressive behaviour of reconstituted clays. Then, the compression behaviour of natural clays is investigated, and compared with that of reconstituted clays in order to understand the role of soil structure during consolidation when the effective stress is greater than the consolidation yield stress.
Finally, the normalised compression behaviour of natural clays is analysed and compared with that of reconstituted clays in order to better understand the mechanism responsible for the difference in compression behaviour between natural clays and reconstituted clays.

**FUNDAMENTAL MECHANISM FOR CHANGE IN COMpressIBILITY OF RECONSTITUTED CLAYS DURING CONSOLIDATION**

Hong et al. (2010) performed 42 oedometer tests to investigate the compression behaviour of three reconstituted clays (Lianyungang clay; Baimahu clay; and Kemen clay) with a wide range of initial water contents, as shown in Table 1. The test results illustrate an inverse “S” shape of the $e - \log \sigma_v'$ compression curves, as typically shown in Figure 1, similar to those of many natural clays. This similarity in shape of the $e - \log \sigma_v'$ compression curves between natural clays and reconstituted clays indicates that there is a particular stress for reconstituted clays which is similar to the consolidation yield stress for natural clays. As for the compression behaviour of natural clays, the compression curves of reconstituted clays can be divided into two lines which intersect at a particular stress. Small compressibility occurs when the effective stress is lower than this particular stress, which acts in a similar role to the consolidation yield stress of natural clays. Mitchell (1993) called this particular stress the ‘pore water suction’, and indicated that the liquid limit for all fine-grained soils corresponds to about 6.0 kPa of pore water suction and about 1.7-2.0 kPa of shearing resistance. Hong et al. (2010) termed the particular stress as suction pressure. Herein, it is termed as the remoulded yield stress $\sigma_{yr}'$ to avoid confusion with descriptions of the behaviour of unsaturated soils.

As typically shown in Figure 1, the compressibility of a reconstituted clay increases dramatically when the effective stress is higher than the remoulded yield stress. For a given reconstituted clay, the compressibility of a reconstituted clay is affected by the starting point ($\sigma_{yr}', e_{yr}$) of the compression line whenever the effective vertical stress is higher than the remoulded yield stress. The $e_{yr}$ is the void ratio at the remoulded yield stress $\sigma_{yr}'$. Hence, the compression index $C_e^*$ depends on the values of the remoulded yield stress and the void ratio at the remoulded yield stress. Note that the compression index of reconstituted clays is defined as (Burland, 1990):

$$C_e^* = (e_{100}^* - e_{1000}^*)$$  \hspace{1cm} (1)

where $e_{100}^*$ and $e_{1000}^*$ are the void ratios of the reconstituted clays at the effective vertical stresses $\sigma_v'$ of 100 kPa and 1000 kPa, respectively. The starting point ($\sigma_{yr}', e_{yr}$) for reconstituted clays is similar to the starting point ($\sigma_{vy}', e_{vy}$) of the post-yield line for natural clays when the effective stress is greater than the consolidation yield stress. Note that the terms of $\sigma_{vy}', e_{vy}$ represent the consolidation yield stress and the void ratio at the consolidation yield stress, respectively.

To investigate the effect of the starting point ($\sigma_{yr}', e_{yr}$) on the compressibility of reconstituted clays at effective vertical stress levels higher than the remoulded yield stress, the oedometer test data for Lianyungang clay, Baimahu clay, and Kemen clay reported by Hong et al. (2010) were considered here. The relationships of $C_e^*$ versus $e_{yr}$ and $C_e^*$ versus $\sigma_{yr}'$ are given in Figures 2 and 3 respectively. For a given clay, the
compression index $C^*_c$ increases with increase in void ratio at the remoulded yield stress $e_{yr}$, and decreases with increase in the remoulded yield stress $\sigma_{yr}'$. It can be also found that at the same value of $e_{yr}$ or at the same value of $\sigma_{yr}'$, the parameter $C^*_c$ decreases in the order of Baimahu clay, Lianyungang clay and Kemen clay. Interestingly, it coincides with the order of decreasing liquid limits (see Table 1). These results indicate that the compression index $C^*_c$ is greatly affected by the parameters $e_{yr}$, $\sigma_{yr}'$ and the liquid limit $w_L$. Hence, an index is needed to consider the combined effects of $e_{yr}$, $\sigma_{yr}'$, and $w_L$ on the compression behaviour of reconstituted clays with different starting points ($\sigma_{yr}'$, $e_{yr}$) and different liquid limits.

It has been well documented that the $e - \log \sigma_v'$ compression curves with an inverse “S” shape for many natural clays can be represented by two straight lines in a plot of $\log(1+e)$ or $\ln(1+e)$ against $\log \sigma_v'$ or $\ln \sigma_v'$ (e.g. Hashiguchi & Ueno, 1977; Butterfield, 1979; Onitsuka et al., 1995; Sridharan & Prakash, 1996; Hong & Onitsuka, 1998; Hong, 2007). Hong et al. (2010) illustrated that the bilogarithmic method can be also used to represent well the inversely S-shaped $e - \log \sigma_v'$ compression curves of reconstituted clays by two straight lines. The stress at the intersection point of the two straight lines is the consolidation yield stress and the remoulded yield stress for natural clays and reconstituted clays, respectively. Hence, the following equations can be obtained for expressing the compression curves of natural clays in the post-yield regime and those of reconstituted clays for the effective vertical stress higher than the remoulded yield stress:

$$
\log(1+e) = \log(1+e_1) - C_{CLR} \times \log \sigma_v' \quad \text{(for reconstituted clays)} \quad (2)
$$

$$
\log(1+e) = \log(1+e_1) - C_{CL} \times \log \sigma_v' \quad \text{(for natural clays)} \quad (3)
$$

The parameter $e_1$ is the void ratio at an effective vertical stress of 1 kPa, and $C_{CL}$ and $C_{CLR}$ represent the compression index of natural clays and reconstituted clays in the $\log(1+e) - \log \sigma_v'$ plot, respectively.

It is indicated in Equations (2) and (3) that the intercept of the straight post-yield line of a natural clay or the straight line of a reconstituted clay for the effective vertical stress higher than the remoulded yield stress corresponds to $\log(1+e_1)$, and is simply represented by the parameter $e_1$. Figure 4 schematically shows the concept of $e_1$ for a given reconstituted clay with different initial water contents. As reported by Hong et al. (2010), the starting point $(\sigma_{yr}'$, $e_{yr}$) varies with the initial water content. The higher the initial water content, the greater is the void ratio at the remoulded yield stress, the lower is the remoulded yield stress. It can be observed in Figure 4 that a unique value of $e_1$ can be expected for a given position of $(\sigma_{yr}'$, $e_{yr}$). That is, for a given clay with a certain liquid limit, the difference in initial water content will result in different positions of $(\sigma_{yr}'$, $e_{yr}$), and in turn different values of $e_1$. In the same fashion, reconstituted clays with different liquid limits but at the same initial water content still have different starting points of the compression lines with the effective vertical stress higher than the remoulded yield stress, consequently resulting in different values of $e_1$. It should be mentioned that the parameters $e_{yr}$, $\sigma_{yr}'$, and liquid limit are not disassociated each other; they are related with the following equation as described by Hong et al. (2010):

$$
e_{yr}/w_L = w_{yr}/w_L = 2/(\sigma_{yr}')^{0.42} \quad (4)$$
where the remoulded yield stress $\sigma_{yr}$ is expressed in kPa; the parameter $e_L$ represents the void ratio at liquid limit; the parameter $w_{yr}$ is the water content at the remoulded yield stress. Equation (4) indicates that given a certain value of one parameter among $e_{yr}$, $\sigma_{yr}$ and $e_L$, the other two parameters vary unambiguously. That is, the reconstituted clays having different liquid limits or different initial water contents certainly have different positions ($\sigma_{yr}$, $e_{yr}$), and thus different values of $e_L$. Hence, the void ratio at 1 kPa ($e_1$) can reflect the combined effects of $e_{yr}$, $\sigma_{yr}$, and $e_L$ on the compression behaviour of reconstituted clays. In this study, the index $e_1$ is used for comparison of the compressibility of various reconstituted clays at different initial water contents.

Figure 5 shows the relationship between $C^*_c$ and $e_1$ for the three reconstituted clays based on the oedometer test data reported by Hong et al. (2010). It is interesting to note that the $C^*_c$ increases solely with increase in $e_1$ for the three clays at different initial water contents and with different liquid limits. This confirms that the index $e_1$ can reflect the effect of the starting state ($\sigma_{yr}$, $e_{yr}$) on the compressibility of various reconstituted clays at different initial water contents when the effective vertical stress is higher than the remoulded yield stress. For further investigating the effects of the starting points of the compression lines at the effective vertical stress higher than the remoulded yield stress, the test data for other reconstituted clays compiled from the available literature shown in Table 1 were used to establish the relationship between $C^*_c$ and $e_1$. The liquid limits of the reconstituted clays cover a wide range from 37% to 220%. All the data were obtained from multi-stage loading oedometer tests. As discussed by Hong et al. (2010), the log(1+e) - log$\sigma_v$ plot is appropriate for interpreting the oedometer test data for Lianyungang clay, Baimahu clay and Kemen clay by two straight lines. These three clays were tested using a modified oedometer apparatus with the first applied vertical stress as low as 0.5 kPa. The other reconstituted clays listed in Table 1 from the available literature were tested in conventional oedometers with a first vertical stress generally higher than the remoulded yield stress. The oedometer test data for these reconstituted clays can be interpreted by a straight line in the log(1+e) - log$\sigma_v$ plot, as typically shown in Figure 6. The correlation coefficients for the 90 reconstituted clays, $r$, reach as high as 0.97-1.00, most being larger than 0.99. Figure 7 shows the relationship between $C^*_c$ and $e_1$ for all the 90 reconstituted clays investigated, including data of the three clays reported by Hong et al. (2010). It is interesting to note that a unique relationship is obtained with the data reported by independent researchers. A regression analysis gives the following equation with a correlation coefficient $r$ of 0.99.

$$C^*_c = 0.183e_1 - 0.0021(e_1)^2$$  \hspace{1cm} (5)

The unique relationship of $C^*_c$ versus $e_1$ indicates that when the effective vertical stress is higher than the remoulded yield stress, the compression index $C^*_c$ of a reconstituted clay depends solely on the starting state, and is a function of the void ratio at the remoulded yield stress and the liquid limit.

On the other hand, Hong et al. (2010) reported that the $e$-log$\sigma_v$ compression curves of various reconstituted clays with different initial water contents can be normalised well with respect to the void index $I_v$ when the effective vertical stress is
higher than the remoulded yield stress; whereas it is not the case at the effective vertical stress being smaller than the remoulded yield stress, in which the compression curves lie on the left of the normalised line, and the $I_v$-$\log \sigma_v'$ curve with a higher initial water content lies above that with a lower initial water content, as typically shown in Figure 8.

The void index $I_v$ is defined by Burland (1990) as follows.

$$I_v = \frac{(e - e^{*\text{100}})}{(e^{*\text{100}} - e^{*\text{1000}})} = \frac{(e - e^{*\text{100}})}{C_e^{*}}$$ (6)

The normalised compression curve for reconstituted clays at different initial water contents and with different liquid limits is designated as the extended intrinsic compression line (EICL) by Hong et al. (2010), which can be expressed as:

$$I_v = 3.0 - 1.87 \log \sigma_v' + 0.179 (\log \sigma_v')^2$$ (7)

where $\sigma_v'$ is expressed in kPa. The EICL extends the intrinsic compression line (ICL) of Burland (1990) to wider ranges for both of the initial water content and the effective vertical stress: 0.7 - 2.0 times the liquid limit and as low as 1.5 kPa, respectively. It was demonstrated that when the effective vertical stress is higher than 25 kPa, the EICL coincides with the ICL suggested by Burland (1990) which is expressed by Equation (8).

$$I_v = 2.45 - 1.285 \log \sigma_v' + 0.015 (\log \sigma_v')^3$$ (8)

where $\sigma_v'$ is expressed in kPa. Within the range of effective stress from 1.5 kPa to about 10 kPa, the EICL lies a little above the ICL (Hong et al., 2010). Note that Burland (1990) suggested that ICL should be used only for effective vertical stress ranging from 10 kPa to 4000 kPa. All the 90 reconstituted clays have a normalised behaviour of compression curves with respect to the void index only if the effective vertical stress is higher than the remoulded yield stress, the same as Figure 8 of this study and Figure 13 in Hong et al. (2010).

**COMPARISON OF COMPRESSIBILITY BETWEEN NATURAL CLAYS AND RECONSTITUTED CLAYS**

It has been well known that the compression behaviour of natural clays differs from that of remoulded clays, as schematically shown in Figure 9. Although the undisturbed and the remoulded specimens have the same initial water content (i.e. natural water content $w_n$), the consolidation yield stress of the undisturbed specimen is higher than the remoulded yield stress due to the soil structure formed during the depositional and the post-depositional processes. Hence, the compression starting point of the post-yield line for the undisturbed specimen differs from that of the remoulded specimen at the remoulded yield stress. That is, the water content or the void ratio of a natural clay at the consolidation yield stress is greater than that of the reconstituted clay at the same stress. As illustrated in the previous section, the compressibility of reconstituted clay is greatly affected by the water content at the starting point. The difference in water content at the starting point between natural clays and remoulded clays should be an important factor responsible for the difference in compressibility. In the same fashion as in the analysis for the compression behaviour of reconstituted clays, the index $e_1$ is also adopted to analyse the difference in compressibility between natural clays and reconstituted clays. For this purpose, the
relationships between the compression index and the parameter $e_1$ for various natural clays should be established, and then compared with Equation (5) established based on reconstituted clays to clarify the role of water content on the difference in compressibility between reconstituted clays and natural clays. The data for the natural clays investigated here includes Ariake clays and other clays compiled from the available literature. For comparison purposes, the compression index $C_c$ of natural clays is defined as:

$$C_c = (e_{100} - e_{1000})$$

where $e_{100}$ and $e_{1000}$ are the void ratios of natural clays at effective vertical stresses $\sigma_v$ of 100 kPa and 1000 kPa, respectively.

The oedometer test data for natural Ariake clays were disposed here to investigate the compressibility of natural clays, as shown in Table 2. These data were used by Hong & Han (2007) for quantitatively evaluating the degrees of sample disturbance. The clays have a wide spectrum of liquid limits, ranging from 34% to 140%. These data can be also interpreted well by two straight lines in the $\log(1+e)$ - $\log\sigma_v$ plot, as typically shown in Figure 10. The relationship between $C_c$ and $e_1$ for all the investigated 119 Ariake specimens listed in Table 2 is shown in Figure 11. The relationship from Equation (5) for reconstituted clays is also plotted in the same figure for comparison. It is interesting to note that the parameter $C_c$ has a unique relationship with the parameter $e_1$ for all the natural Ariake clays investigated; more importantly, the relationship between $C_c$ and $e_1$ for natural Ariake clays is consistent with the relationship of $C_{c*}$ versus $e_1$ for reconstituted clays. This indicates that the compression index $C_c$ for natural Ariake clays should be the same as the compression index $C_{c*}$ for reconstituted clays, if they have the same value of $e_1$. In other words, the difference in compressibility between undisturbed and remoulded specimens of a given natural Ariake clay is caused by the difference in the starting point as schematically shown in Figure 9. Consequently, the compressibility of the natural Ariake clays investigated depends solely on the void ratio or the water content at the consolidation yield stress and the liquid limit, when the applied stress reaches and exceeds the consolidation yield stress. Such a result suggests that once the effective vertical stress overcomes the consolidation yield stress, which is the result of complex geological processes involving deposition environment, consolidation, erosion, thixotropic hardening, leaching, weathering etc. as described by Leroueil et al. (1985), the natural Ariake clays investigated have the same change law in compression behavior as the corresponding reconstituted clays.

In order to further compare the compressibility of other natural clays with reconstituted clays, the oedometer test data of other natural clays were compiled from the available literature, as shown in Table 3. Similar to the reconstituted clays listed in Table 1 and the natural Ariake clays in Table 2, all the data were obtained from multi-stage loading oedometer tests. The liquid limits range from 34% to 122%, and the natural water contents vary from 41% to 120%. As aforementioned, the index $e_1$ can be used to assess the compressibility of natural clays when they have a linear $\log(1+e)$ - $\log\sigma_v$ line in the post-yield regime. However, there are two types of compression curves for the natural clays listed in Table 3, as typically shown in Figure
12. The oedometer test data for the natural clays of Type one can be interpreted by two straight lines in the log(1+e) - logσ_v plot, like the natural Ariake clays listed in Table 2. But the compression curves for the natural clays of Type two have a transitional drop zone just after the consolidation yield stress is exceeded. That is, there are three zones in the log(1+e) - logσ_v plot. The range of stress for the middle zone varies from the consolidation yield stress to the transitional stress σ_t'. The transitional stress is defined as the stress responsible for the starting point of the third straight line defining for the behaviour of Type two clays. Its value is about 1.4-3.5 times the consolidation yield stress for the investigated clays, as shown in Figure 13. The behaviour of Type one clays may be considered as a special case of the behaviour of Type two clays, in which the range of stress from the consolidation yield stress to the transitional stress is extremely narrow. The above phenomenon implies that the shape of compression curves and the degradation of the soil structure associated with the irreversible deformation for various natural clays may depend on the specific mechanism responsible for the presence of soil structure. The existence of the transitional regime implies the gradual change in microstructure during consolidation associated with the relatively large deformation in the transitional regime. The absence of the transitional regime indicates a dramatic change in microstructure at the vicinity of the consolidation yield stress associated with little change in deformation, as illustrated by Hong et al. (2006). Several researchers have investigated the change in microstructure of soils during consolidation (e.g. Collins & McGown, 1974; Delage & Lefebvre, 1984; Griffiths & Joshi, 1989; Tanaka & Locat, 1999; Hong et al., 2006). However, more studies on changes in microscopic level during consolidation are needed in the future to better understand the mechanisms responsible for the existence of the transitional regime in some natural clays and for absence in others.

In the analysis of the natural clays of Type two, the value of e_1 is obtained by extending the third straight line after the transitional stress up to the effective vertical stress of 1 kPa. Figure 14 gives the relationship between C_c and e_1 for the natural clays listed in Table 3, including both Type one and Type two clays. It can be seen that the relationship for natural clays of Type one in the post-yield regime is consistent with that of Type two clays when the effective vertical stress is higher than the transitional stress. It is encouraging to note that the relationship for natural clays listed in Table 3 is almost identical to that by Equation (5) established based on reconstituted clays, even though the test data were compiled from literature reported by independent researchers.

The above analysis illustrates that the compression behaviour of natural clays can be classified into three regimes: 1) the pre-yield regime with small compressibility when the effective stress is lower than the consolidation yield stress; 2) the transitional regime with gradual loss of soil structure when the effective stress is higher than the consolidation yield stress but lower than the transitional stress; and 3) the post-transitional regime when the effective stress is higher than the transitional stress, in which natural clays have the same change law in compression behaviour as reconstituted clays. In some cases, the transitional zone can be ignored when the transitional stress is close to the consolidation yield stress.
Note that the three regimes mentioned above for natural soils are important for both theoretical development and practice. When modelling the compression behaviour of natural clays, it is clear that the three regimes should be accounted for by adopting different equations; in practice, much attention should be paid on the transitional regime because this regime corresponds to an unstable soil state and the compression behaviour is characterised by a ‘collapse’ nature.

NORMALISED BEHAVIOUR OF NATURAL CLAYS

For normalising the compression behaviour of natural clays, the void index $I_{vn}$ is introduced with $e_{100}$ and $C_c$ instead of $e_{100}^*$ and $C_c^*$ in Equation (6), expressed as follows.

$$I_{vn} = \frac{(e - e_{100})}{(e_{100} - e_{1000})} = \frac{(e - e_{100})}{C_c}$$

It should be pointed out that unlike the remoulded yield stress of reconstituted clays, the consolidation yield stress of Type one clay or the transitional stress of Type two clay may be greater than 100 kPa. In such a case, $e_{100}$ is situated in the pre-yield regime or in the transitional regime. Consequently, it can no longer be used for calculating the void index to normalise the compression curves. To tackle this problem, the values of $e_{100}$ are determined by extrapolating the linear post-transitional bilogarithmic line.

The compression curves of natural Ariake clays shown in Figure 10 were normalised with the void index $I_{vn}$ defined in Equation (10), as shown in Figure 15. It can be seen that the relationship between the void index $I_{vn}$ and the effective vertical stress for the six natural Ariake clays become a unique line when the effective vertical stress is higher than the consolidation yield stress; whereas the oedometer test data in the pre-yield regime cannot be normalised. Such normalised behaviour of natural Ariake clays is similar to that of various reconstituted clays at different initial water contents. Figure 16 shows the normalised values of $I_{vn}$ in the post-yield regime for all the natural Ariake clays investigated. The intrinsic compression line (ICL) and the extended intrinsic compression line (EICL) are also shown in the same figure for comparisons. It can be seen that the oedometer test data of 119 natural Ariake clays can be normalised with the void index defined in Equation (10), when the data is in the post-yield regime. It is interesting to note that when the effective vertical stress is higher than 40 kPa, the normalised behaviour of natural Ariake clays can be expressed well by the intrinsic compression line (ICL) which was proposed by Burland (1990) based on the test data of reconstituted clays. However, the experimental data of natural Ariake clays lie a little above the ICL, and closer to the EICL when the effective vertical stress is lower than 20 kPa.

The oedometer test data of Figure 12 were re-plotted in the form of the void index $I_{vn}$ versus $\log \sigma_v^*$, as shown in Figure 17. It can be seen that the clays of Type one can be normalised well with the void index $I_{vn}$ when the effective vertical stress is higher than the consolidation yield stress. This normalised behaviour is the same as that of the natural Ariake clays (see Figure 15). However, for Type two clays, only if the effective vertical stress is higher than the transitional stress, can the compression curves be normalised with the void index $I_{vn}$. Within the range of stress level from the
consolidation yield stress to the transitional stress, the values of $I_{vn}$ for Type two clays lie above the normalised line, and gradually converge toward the ICL when the effective stress approaches the transitional stress. The compression curves normalised with respect to $I_{vn}$ for Type one clays listed in Table 3 in the post-yield regime are also compared with the ICL (see Figure 18), showing that they are identical. Figure 19 gives the normalised oedometer test data for Type two clays listed in Table 3 with the effective vertical stress higher than the transitional stress. It can be seen that the normalised data are also consistent with the intrinsic compression line (ICL). The above results indicate that the compression curves of natural clays can be normalised well with regard to the void index defined by Equation (10) when the effective vertical stress is higher than the transitional stress; whereas the compression curves of natural clays in the pre-yield regime and in the transitional regime cannot be normalised with the void index.

**CONCLUSIONS**

When the effective stress is greater than the remoulded yield stress for reconstituted clays or larger than the transitional stress for natural clays, the extrapolated void ratio at an effective stress of 1.0 kPa ($e_1$) can be used as a powerful index for reflecting the combined effects of both the initial water content at the starting point and the liquid limit on compressibility, and the compression index increases uniquely with increase in $e_1$ for all the investigated reconstituted and natural clays having a wide range of liquid limits. The unique relationship can be expressed as $C_c^* = 0.183e_1 - 0.0021(e_1)^2$.

The compressibility of a reconstituted clay depends on three parameters: the remoulded yield stress, the void ratio at the remoulded yield stress and the liquid limit. When the effective stress is lower than the remoulded yield stress, the compressibility is mainly controlled by the remoulded yield stress which restrains the deformation in the same fashion as the consolidation yield stress of natural clays. When the effective stress is larger than the remoulded yield stress, the compressibility of a reconstituted clay depends solely on the void ratio at the remoulded yield stress and the liquid limit.

The compression behaviour of a natural clay can be classified into three regimes: the pre-yield regime characterised by small compressibility up to the consolidation yield stress with soil structure restraining the deformation; the transitional regime with gradual loss of soil structure when the effective stress is between the consolidation yield stress and the transitional stress; and the post-transitional regime characterised by the same change law in compression behaviour as a reconstituted clay when the effective stress is higher than the transitional stress. In some cases, the transitional zone can be ignored if the transitional stress is close to the consolidation yield stress.

The compression curves of both natural clays in the transitional regime and reconstituted clays when the effective stress is larger than the remoulded yield stress can be normalised well with the void index, consistent with the normalised compression line (ICL) for reconstituted clays suggested by Burland (1990).
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<th>Soils</th>
<th>Initial water content</th>
<th>Liquid limit</th>
<th>Plastic limit</th>
<th>Density of soil particles</th>
<th>Source of data</th>
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<tr>
<td>Calcium montmorillonite Clay</td>
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<td>Sail Clay</td>
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<td>2.83</td>
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<td>BC Soil</td>
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<td>Kemen Clay</td>
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<td>30</td>
<td>2.67</td>
<td>Hong et al. (2010)</td>
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<table>
<thead>
<tr>
<th>Locations of Ariake clays</th>
<th>Depth (m)</th>
<th>Natural water content (%)</th>
<th>Liquid limit (%)</th>
<th>Plastic limit (%)</th>
<th>Density of soil particles (g/cm³)</th>
<th>Source of data</th>
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<tr>
<td>Ashikari</td>
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<td>30-124</td>
<td>34-100</td>
<td>17-41</td>
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<td>Ariake</td>
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<td>Fukudomi</td>
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<td>44-103</td>
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<table>
<thead>
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<th>Soils</th>
<th>Depth (m)</th>
<th>Natural water content (%)</th>
<th>Liquid limit (%)</th>
<th>Plastic limit (%)</th>
<th>Density of soil particles (g/cm³)</th>
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<tr>
<td>Varved clay</td>
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<td>53-60</td>
<td>69-73</td>
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<td>Quigley &amp; Ogunbadejo (1972)</td>
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<td>Bothkennar</td>
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<td>Low et al. (2008)</td>
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<td>Champlain clay</td>
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<td>50-60</td>
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<td>Yong &amp; Nagaraj (1977); Silvestri (1984)</td>
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<td>Vasby clay</td>
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<td>108-122</td>
<td>36-41</td>
<td>2.75</td>
<td>Type two</td>
<td>Feng (1991)</td>
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Liquid limit=202%, by Cerato & Lutenegger (2004)
Liquid limit=158%, by Nagaraj & Srinivasa (1983)
Liquid limit=101%, by Cerato & Lutenegger (2004)
Liquid limit= 85%, by Hight et al. (1992)
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$$C_c^* = 0.183 \times e_1 - 0.0021 \times (e_1)^2$$
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